

1(5) Primal problem.

$$\max z = x + y$$

with

$$r: \dots \leq 6$$

$$s: \dots \leq 5$$

$$t: \dots \leq 4 \quad x, y \geq 0$$

(a) List the initial basic variables.

(b) The constant coefficient vector $B =$

(c) Shade the submatrix T ; complete the final tableau

	x	y	r	s	t	b	
	1	0	1	0	-1		
	0	0	3	1	-5		
	0	1	-1	0	2		
z							

2(2) Primal problem. Sketch the region

$$\max z = x + y$$

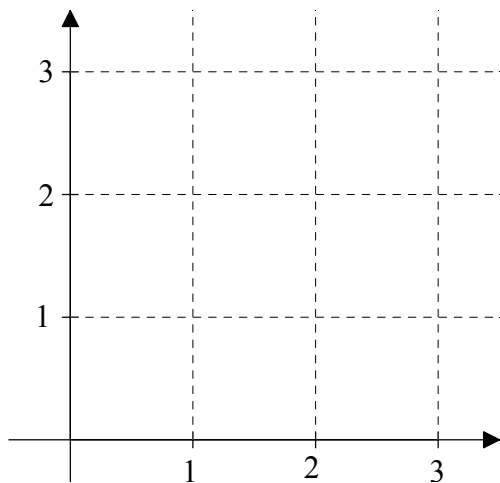
with

$$r: y \leq 2$$

$$s: x + y \leq 3$$

$$t: x \leq 2$$

$$x, y \geq 0$$



3(8)

Initial matrix

	x	y	r	s	t	b	
r	0	1	1	0	0	2	→ p
s	1	1	0	1	0	3	→ 3
t	1	0	0	0	1	2	→ 2
	-1	-1	0	0	0	0	

(a) Shade the submatrices T ; complete the final tableau

x	y	r	s	t	B	
0	1	1	0	0		→ p
1	0	-1	1	0		→ $3-p$
0	0	1	-1	1		→ $p-1$
						3

(b) Suppose $b_r = 2$ is replaced by the variable p . See columns (b). Write the optimal solution in terms of p and find the interval for which this solution is feasible.

$$\max z = \text{_____} \text{ at } x = \text{_____}, y = \text{_____}$$

$$\text{for } p \in \text{_____}.$$

(c) Suppose $b_s = 3$ is replaced by the variable p . Fill in columns (c). Write the optimal solution in terms of p and find the interval for which this solution is feasible.

$$\max z = \text{_____} \text{ at } x = \text{_____}, y = \text{_____}$$

$$\text{for } p \in \text{_____}.$$

(d) Suppose $b_t = 2$ is replaced by the variable p . Fill in columns (d). Write the optimal solution in terms of p and find the interval for which this solution is feasible.

$$\max z = \text{_____} \text{ at } x = \text{_____}, y = \text{_____}$$

$$\text{for } p \in \text{_____}.$$

Check your answers with LinSolve.

Enter the primal problem.

Answer "yes" to "Sensitivity analysis?"

Skip the first screen.

If the range of b_r is $p \in [a, b]$, then LinSolve answers

"... maximum basis does not change when right-hand side:

r (ranges) from a to b ".

4(3) Solve using LinSolve.

$$\max z = y \text{ with}$$

$$r: -x + y \leq 2$$

$$s: x + y \leq 6$$

$$t: x - y \leq 2, \quad x, y \geq 0$$

Optimal solution. $\max z = 4$ when $x = 2, y = 4$.

Find the interval for which this solution is feasible if

(a) $b_r = 2$ is replaced by the variable p . $p \in$

(b) $b_s = 6$ is replaced by p . $p \in$