## ADJOINTS AND TRANSPOSES

This note is to clarify use of notation and terminology which differs between books.
Table 1. A denotes a matrix, $T$ a linear transformation

| term | notes | 411 book | 311 book |
| :--- | :--- | :--- | :--- |
| (hermitian) adjoint | $A^{*}, T^{*}$ | $\overline{{ }^{\bar{t}} A}, T^{\prime}$ |  |
| transpose | $A^{t}, T^{t}$ | ${ }^{t} A, T^{*}$ | $A^{t}$ |
| (classical) adjoint, adjugate |  | $A^{*}$ | adj $A$ |

In spite of name and notation similarities, the main ideas are very different. For a linear transformation $T: V \rightarrow V$, the adjoint is a linear transformation on $V$ defined with respect to an inner product, the transpose is a linear transformation on the dual space $V^{*}$ and the classical adjoint of a matrix has the property that $A(\operatorname{adj} A)=(\operatorname{det} A) I$.

